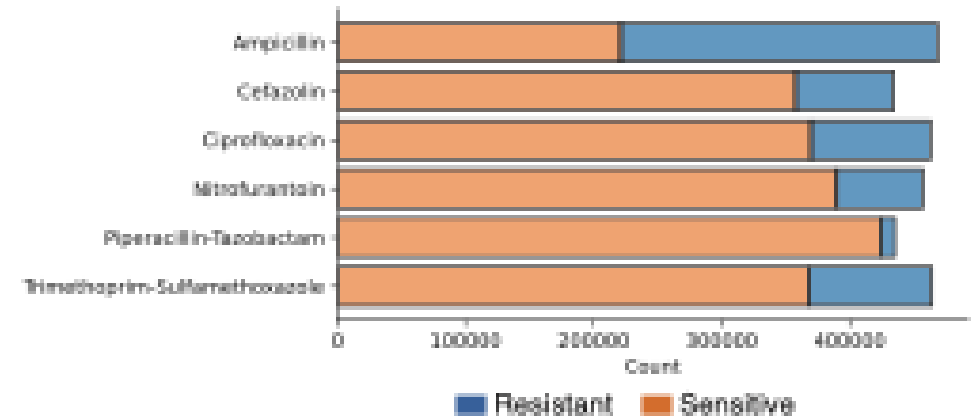


Predicting antibiotic resistance with quantum projective learning

Antibiotic resistance prediction is a hard ML problem for **structural reasons**, not just scale:

- High-dimensional, heterogeneous clinical features
- Severe class imbalance for most antibiotics
- Strong feature redundancy
- Decision boundaries that vary across antibiotics



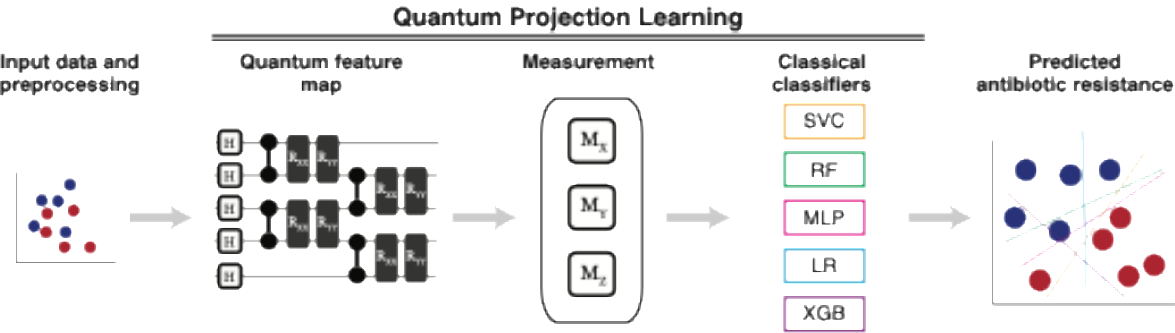
From a mathematical standpoint, this is a regime where **representation can matter more than model choice**.

Saw consistent performance across a range of classical MLs with AUCs ranging 0.71-0.90

Are there data regimes where a **quantum-defined feature map** produces a representation with measurably different geometry than classical embeddings?

This study is probing **representation geometry**, not only leaderboard performance.

Clinical data → geometry



1

Strip away the clinical context and the problem becomes:

$$\{(x_i, y_i)\}_{i=1}^N, x_i \in \mathbb{R}^d, y_i \in \{-1, +1\}$$

2

Goal: Learn a classifier whose **generalization depends on the geometry** induced by a feature map

$$\Phi: \mathbb{R}^d \rightarrow \mathcal{H}$$

3

In **classical ML**, Φ might be:

- linear (PCA),
- kernel-induced (RBF),
- or implicit (trees, boosting)

4

In **Quantum Projection Learning**, Φ is *explicitly defined* by physics:
 $x \mapsto |\psi(x)\rangle = U(x) |0\rangle$
 followed by **projection**:

$$\Phi_q(x) = \left\{ \left\langle \psi(x) \right| \sigma_k^{(i)} \left| \psi(x) \right\rangle \right\}$$

This is not a black box network; it is a **map into expectation values of observables**.

5

Despite partial theory on quantum kernels and projections, we don't know:

- When real, messy data lands in those favorable regimes
- How noise, depth limits, etc. collapse expressivity
- Does observed separation survive projection to low-order marginals (1-RDMs)

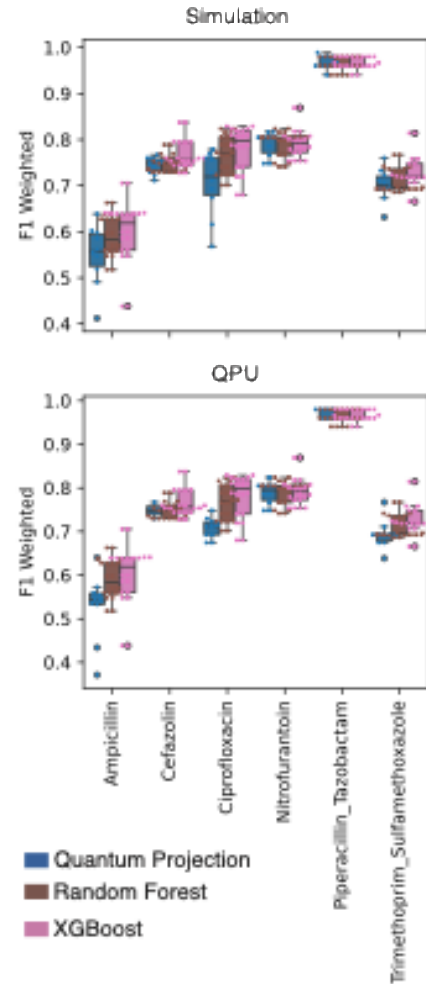
6

Given all practical constraints, **when does the geometry induced by a quantum map differ enough from classical maps to change learning behavior?**

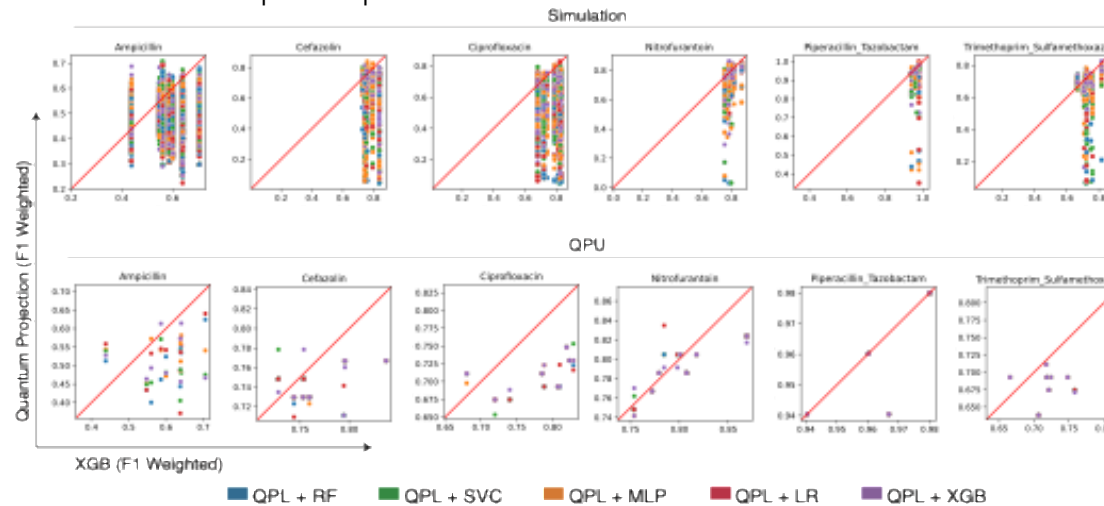
That cannot be answered by asymptotic theory alone.

Evaluated 6 antibiotics in simulation and on QPU

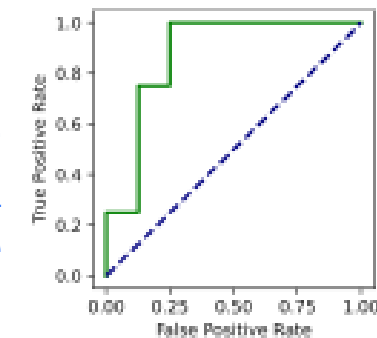
While QPL does not outperform classical baselines in aggregate, there are datasets where QPL is finding some benefit



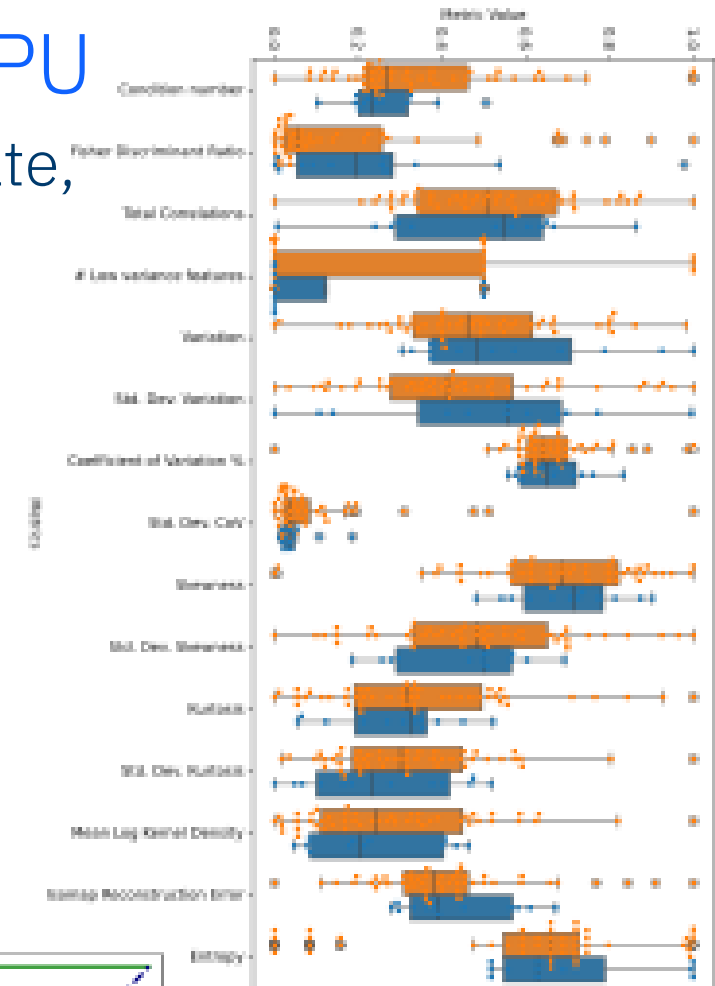
Performance per experiment



We identify a complexity measure signature associated to QPL performance

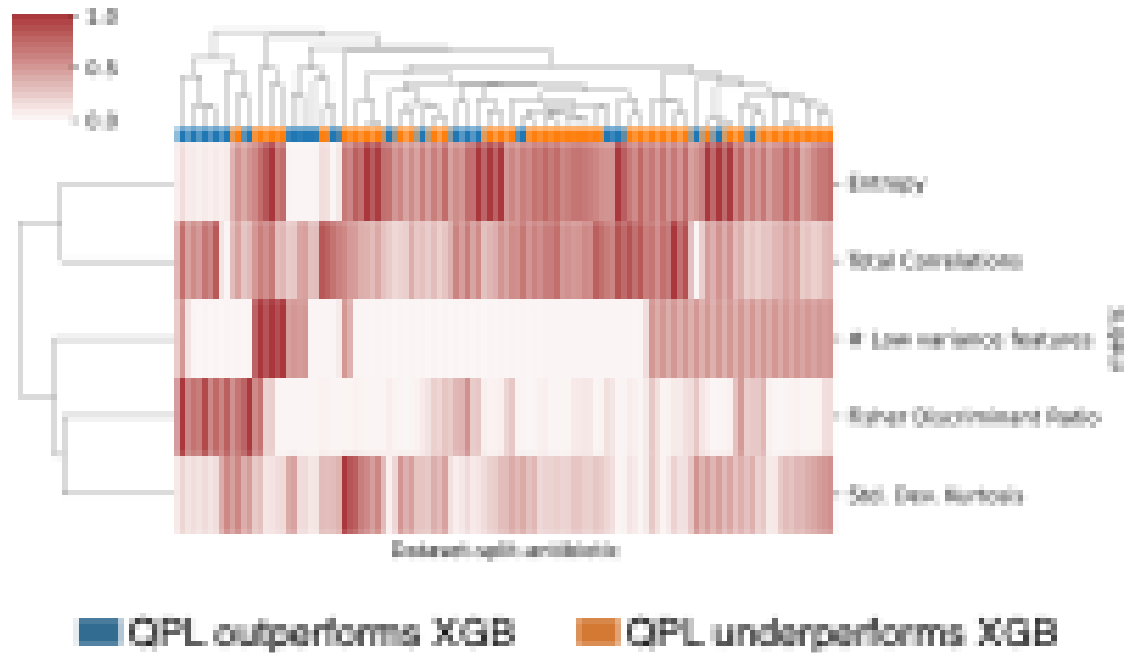


Complexity





Conditional utility is still utility



Here, QPL did not surpass classical baselines overall

Yet a **multivariate data-complexity signature** predicts when QPL *will* outperform (AUC = 0.88)

The question becomes:
“Given a dataset, can we decide whether a quantum embedding is worth invoking?”

That is a workflow-selection problem using as factors:

- Data complexity
- Kernel geometry¹
- Model complexity¹

This tells us:

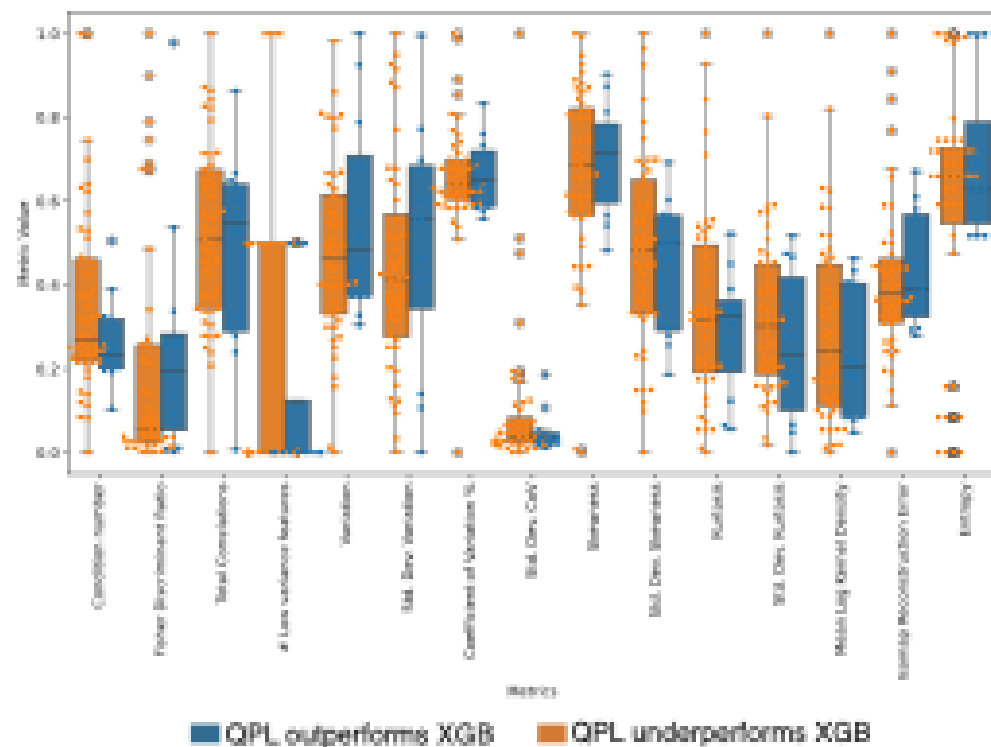
- Quantum projections are sensitive to certain features in the data that we can detect, such correlation structure or entropy

Open unknowns:

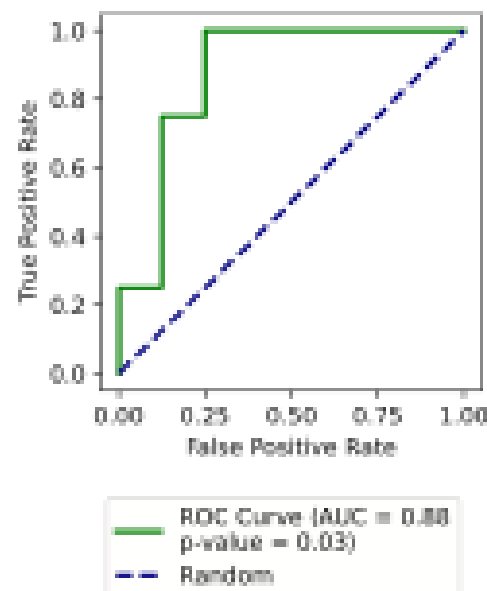
- How expressive are low-depth, low-measurement quantum maps in practice?
- When does dimensionality reduction destroy quantum-useful structure?
- Can data complexity metrics predict kernel separation a priori?

Focusing on QPU experiments, we identify a complexity measure signature associated to QPL performance

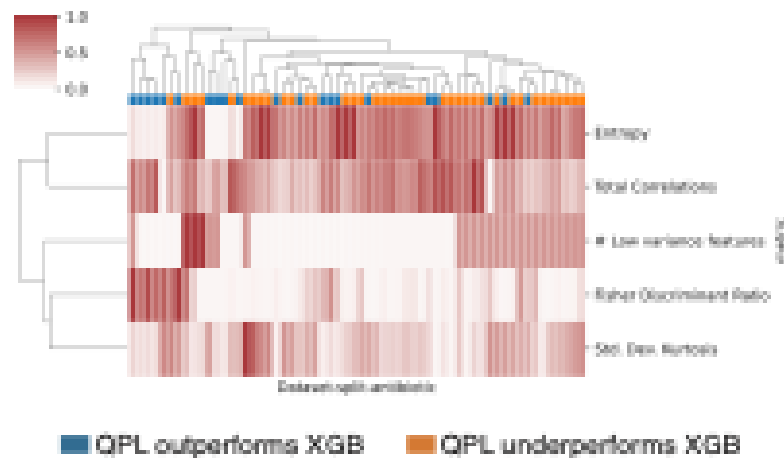
A



B



C



Conditional utility is still utility



Here, QPL **did not surpass** classical baselines overall



Yet a **multivariate data-complexity signature** predicts when QPL *will* outperform (AUC = 0.88)

Top features include:

- Shannon entropy
- Fisher Discriminant Ratio
- Total correlations
- Kurtosis variability
- Feature redundancy



This tells us:

- Quantum projections are sensitive to certain features in the data that we can detect, such correlation structure or entropy
- These are regimes where kernel approximations can struggle classically



The question becomes:
“Given a dataset, can we decide whether a quantum embedding is worth invoking?”

That is an optimization and workflow-selection problem using as factors:

- Data complexity
- Kernel geometry¹
- Model complexity¹



Open unknowns:

- How expressive are low-depth, low-measurement quantum maps in practice?
- When does dimensionality reduction destroy quantum-useful structure?
- Can data complexity metrics predict kernel separation a priori?



Not new models — **better understanding of representations.**